

EC4100: Exchange Rate Economics IV

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- Deviations from UIP
- Carry Trade
- Deviations from PPP

- UIP condition [here S denotes the nominal exchange rate]

$$i_{\$} = i_{\text{€}} + \frac{\Delta S_{\$/\text{€}}^e}{S_{\$/\text{€}}}$$
$$i_{\$} = i_{\text{€}} + \Delta s^e$$

where $s = \log(S)$ since log changes approx. equal to percentage changes

- During a given period, the actual change in exchange rate equals expected change plus an error term

- This implies

$$\Delta s = (i_{\$} - i_{\text{€}}) + \eta$$

or

$$\Delta s = FD + \eta$$

where FD is the forward discount $f - s$ where f is log of forward exchange rate

- Run regression

$$\Delta s = \alpha + \beta(i_{\$} - i_{\text{€}}) + \eta$$

or

$$\Delta s = \alpha + \beta FD + \eta$$

- UIP: $\beta = 1$ ($\alpha = 0$)
- Empirically, $\beta < 0$.
- Positive interest rate gap on average associated with appreciation, not depreciation
- But R^2 typically very low - not a risk-free strategy

- Expected rate of depreciation driven by “rare events” (eg periodic currency crashes): in a typical period, no activity; but occasionally, very large jumps. If regression run on a no-crisis sample, get puzzling result
 - “Peso problem” - high interest rate in Latin America in 1970s b/c crashes expected [even if not observed in selected sample periods]
 - Skewed distribution [mean \neq median]

- Currency risk premium - a high interest rate may be compensation for greater volatility (risk), not higher expected depreciation

$$i = i^* + \Delta s^e + rp$$

- This implies

$$s = -(i - i^*) + s^e + rp$$

- Risk premium 'explains' $\beta < 0$ if covariance between $(i - i^*)$ and rp is positive.
- Currency risk may be correlated with other financial risks (eg global or local equity market risks)

- Invest in currencies with high interest rates, borrow in currencies with low interest rates
- Positive expected return but risky for any individual pair of currencies (R^2 low)
- Carry trade portfolios: invest in a portfolio of high interest currencies; fund in a portfolio of low interest currencies
- Key to success: risk management
 - Invest less when risk indicators increase; invest more when risk indicators decrease
 - Identification of “turning points” [probability of return reversal]
 - Crash risk
 - “Picking Pennies in Front of a Steamroller”
 - Reversal periods: “revenge of the steamroller”

- Traded goods versus Nontraded goods

$$P = P_T^\alpha P_N^{1-\alpha}$$
$$P^* = P_T^{*\alpha} P_N^{*1-\alpha}$$

- LOOP

$$P_T = SP_T^*$$

- But

$$P_N \neq SP_N^*$$

- Real exchange rate

$$q = \frac{SP^*}{P}$$
$$q = \frac{SP_T^* \left(\frac{P_N^*}{P_T^*}\right)^{1-\alpha}}{P_T \left(\frac{P_N}{P_T}\right)^{1-\alpha}}$$
$$q = \left\{ \frac{\left(\frac{P_N^*}{P_T^*}\right)}{\left(\frac{P_N}{P_T}\right)} \right\}^{1-\alpha}$$

- Relative price of nontradables driven by
 - Productivity differentials (Balassa-Samuelson)
 - Demand factors (short run)
- N sector extensive, includes 'mixed' goods [eg retail]

Balassa-Samuelson Hypothesis

- Productivity levels A_T, A_N
- Internationally mobile capital - fixed world interest rate r
- P_T fixed on world markets (LOOP)
- Intersectoral labour mobility - common economy-wide wage w
- Positive shock to A_T
 - Optimal increase in K_T, L_T
 - Capital inflow
 - Increase in labour demand - w increases
 - Rise in w increases marginal cost of producing N good - P_N increases
 - Real appreciation (P_N/P_T increases)

- Long run: increase in demand for N goods - move labour into N sector
- Short run: limited intersectoral mobility, increase in demand for N goods leads to real appreciation
- Demand for T goods - imports can adjust

Application: 'Transfer Problem'

- Shift from trade deficit to trade surplus: reduction in domestic spending \rightarrow real depreciation
- Aid inflow: real appreciation
- War reparations: real depreciation